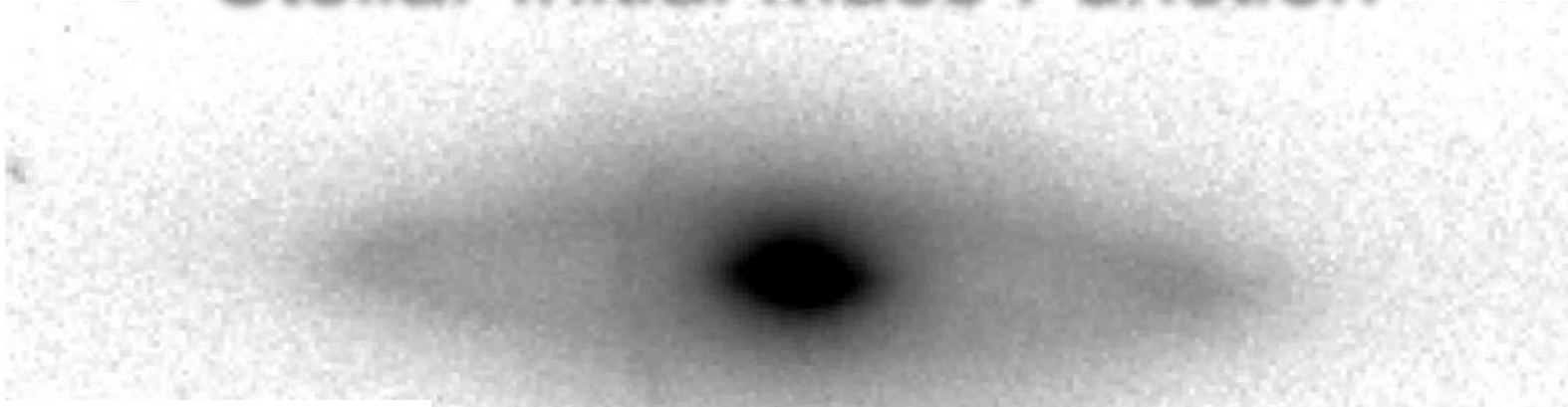


# Dark Halo Contraction and the Stellar Initial Mass Function



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*A.A.Dutton, C.Conroy, F.C.van den Bosch, L.Simard, J.T.Mendel, S.Courteau, A.Dekel, S.More, F.Prada, 2011, MNRAS in press, arXiv: 1012.5859*

*A.A.Dutton, B.J.Brewer, P.J.Marshall, M.W.Auger, T.Treu, D.C.Koo, A.S. Bolton, B.P.Holden, L.V.E.Koopmans, 2011, MNRAS in press, arXiv: 1101.1622*

Image Credit: SWELLS

# Motivation

- ***Dark Halo Contraction***
  - N-body simulations robustly predict the structure of LCDM haloes (e.g. Navarro et al. 1996, 2010; Macciò et al. 2008; Klypin et al. 2010)
  - But: **Observable DM = LCDM ⊗ galaxy formation**  
(**contraction**: Blumenthal et al. 1986; Gnedin et al. 2004;  
**expansion**: e.g. El-Zant et al. 2001; Read & Gilmore 2005)
- ***The Stellar Initial Mass Function (IMF)***
  - Fundamental characteristic of a simple stellar population
  - Key to many areas of astrophysics: stellar masses, star formation rates, chemical evolution, ionizing photons ...
- **Fundamental Questions**
  - Is dark halo contraction universal?      **The hope is 'yes', but**
  - Is the IMF universal?                      **nature may not be so kind**

# Dark Halo Contraction and the Stellar Initial Mass Function

## Constraints from Scaling Relations

*Dutton, Conroy, van den Bosch, Simard, Mendel, Courteau,  
Dekel, More, Prada, 2011, MNRAS in press, arXiv: 1012.5859*

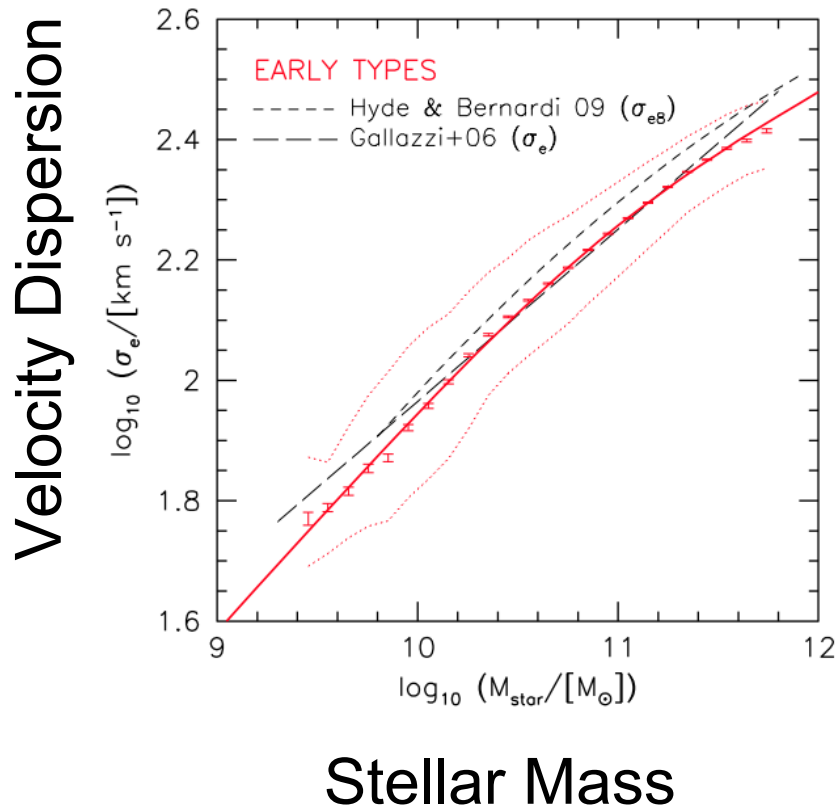
## Constraints from Strong Lensing

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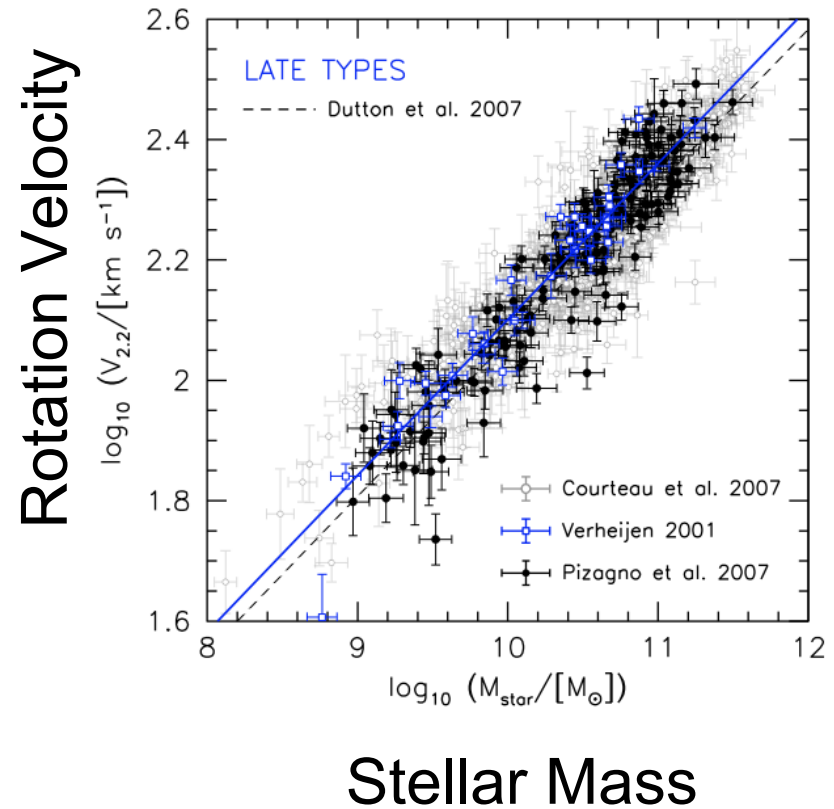
# Constraints from Scaling Relations

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## Faber-Jackson (1976)



## Tully-Fisher (1977)





# Mass Models

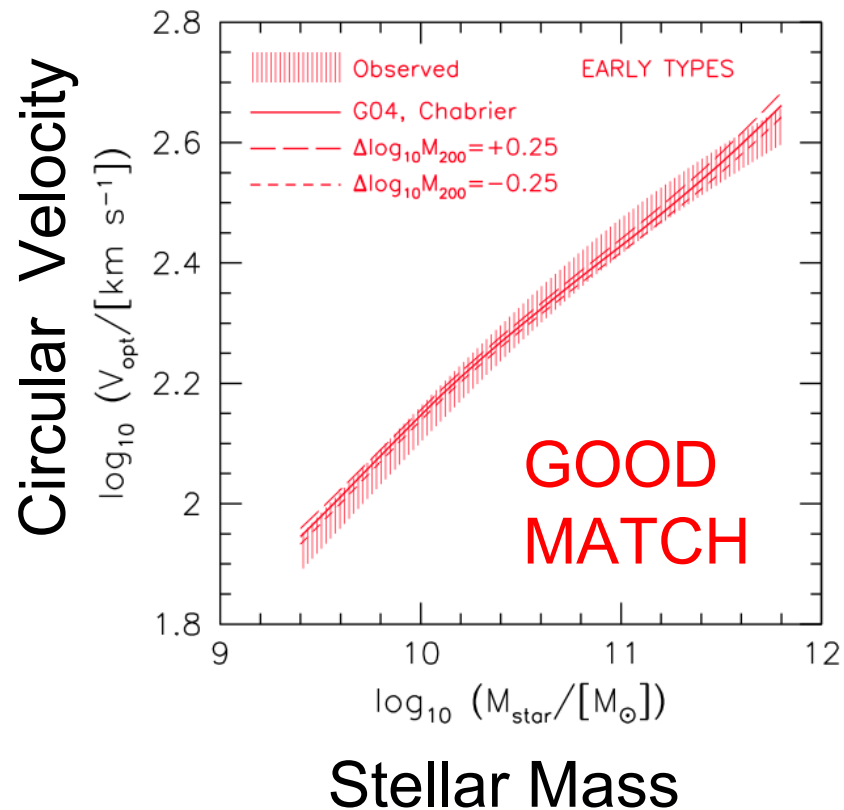
$$\begin{aligned} V_{\text{total}}^2(R) &= V_{\text{stars}}^2(R) && \text{Known (from Obs. +SPS)} \\ &&& \text{up to IMF} \\ &+ V_{\text{gas}}^2(R) && \text{Known (from Obs.)} \\ &+ V_{\text{dark}}^2(R) && \text{Known (in LCDM)} \\ &&& \text{up to halo response} \end{aligned}$$

For a given (SPS) stellar mass we observe an average  $V_{\text{total}}$  from TF / FJ relations and we can construct an average model  $V_{\text{total}}$  up to IMF and halo response.

# Model Scaling Relations: Chabrier IMF

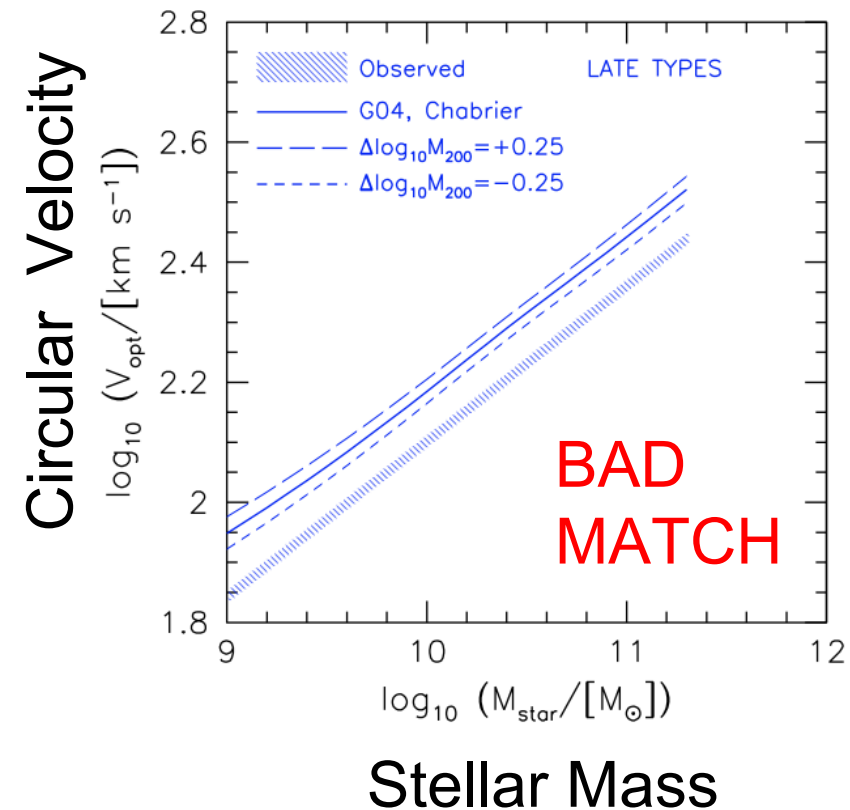
## Gnedin et al. (2004) halo contraction

### Faber-Jackson (1976)



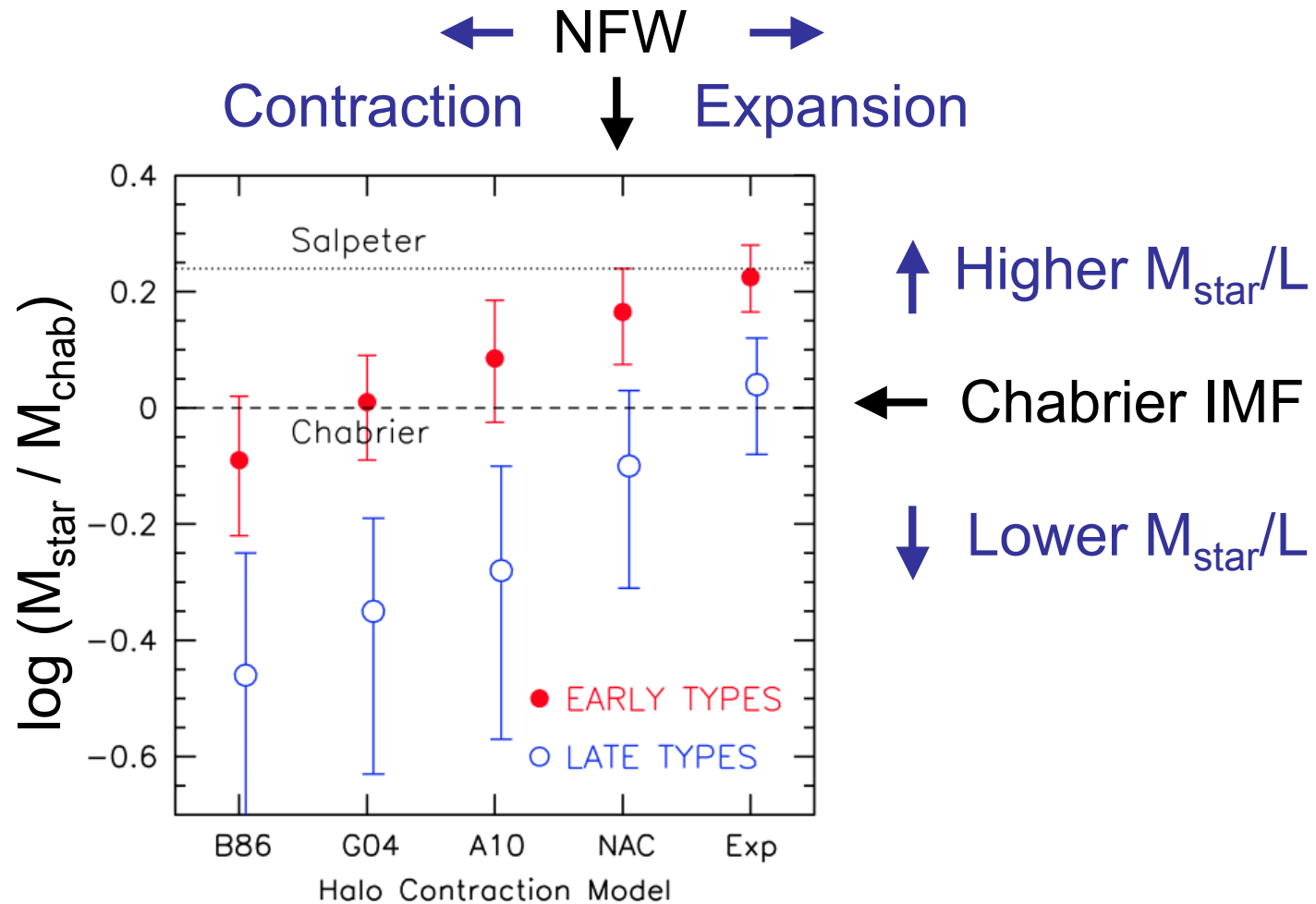
Agrees with Schulz et al. 2010

### Tully-Fisher (1977)



Agrees with Dutton et al. (2007)

# Degeneracy between IMF and halo contraction



Error bars are 2 sigma

# Constraints from Strong Lensing

*Dutton, Brewer, Marshall, Auger, Treu, Koo, Bolton, Holden,  
Koopmans, 2011, MNRAS in press, arXiv: 1101.1622*

Kp Keck/NIRC2-LGSAO

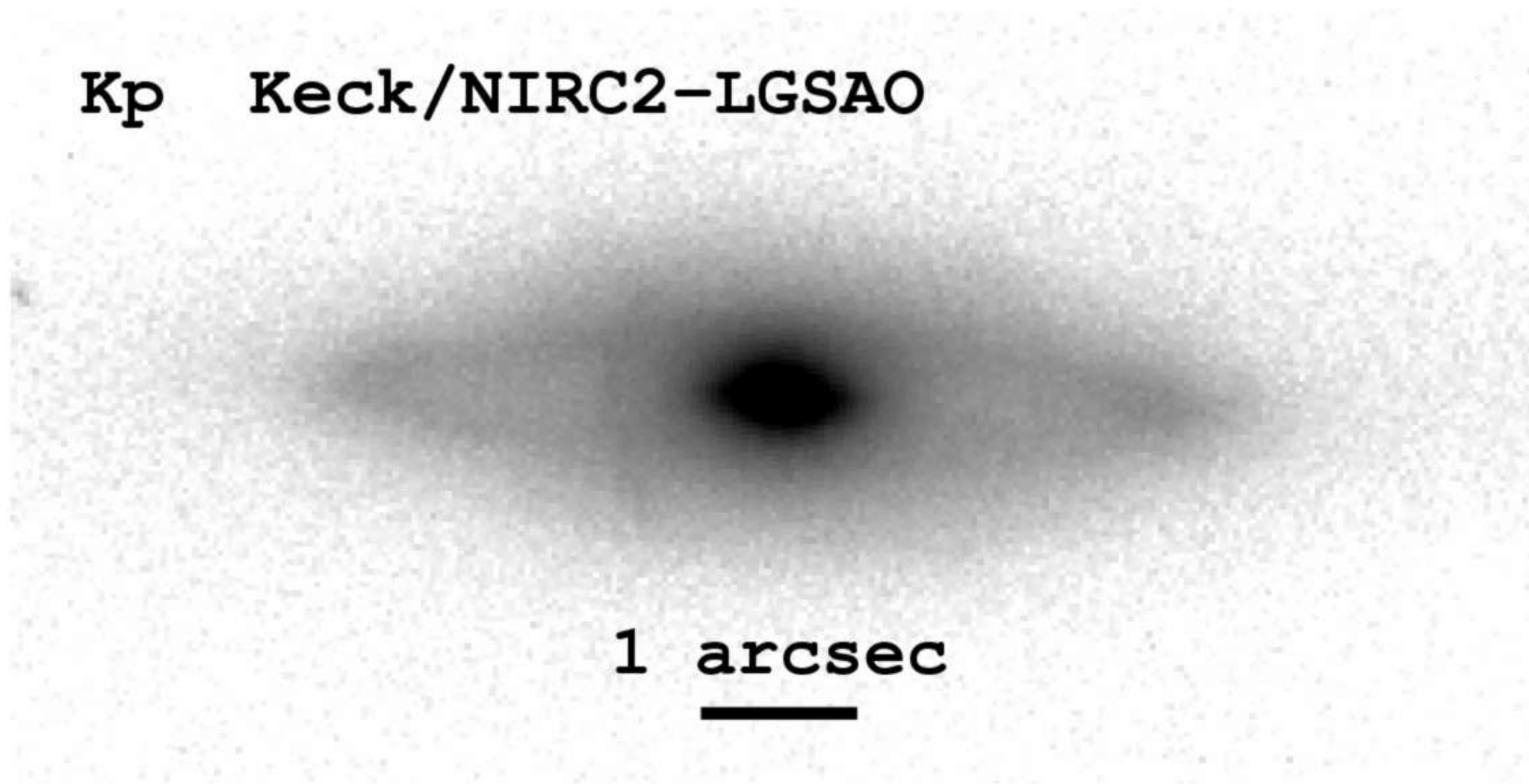
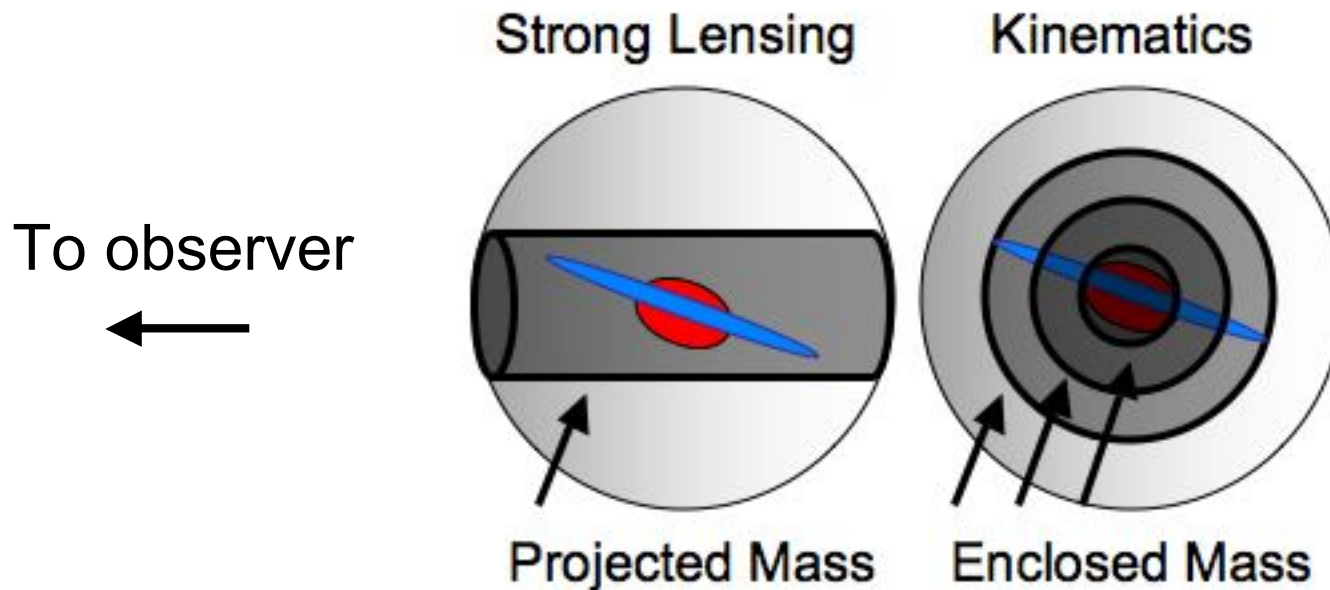


Image Credit: SWELLS

# How can Strong Lensing Help?

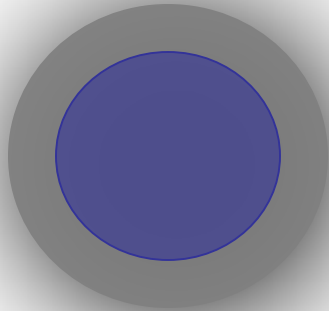
**Kinematics** measures mass enclosed in spheres

**Strong Lensing** measures projected mass and ellipticity



# Strong Lensing Ellipticity vs Stellar Ellipticity

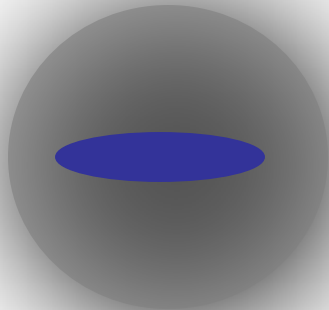
## 1) Face-on Disk + Spherical Halo



a)  $q_{\text{lens}}=1$  ( $\Rightarrow$  spherical halo)

b)  $q_{\text{lens}}=0.6$  ( $\Rightarrow$  flattened halo)

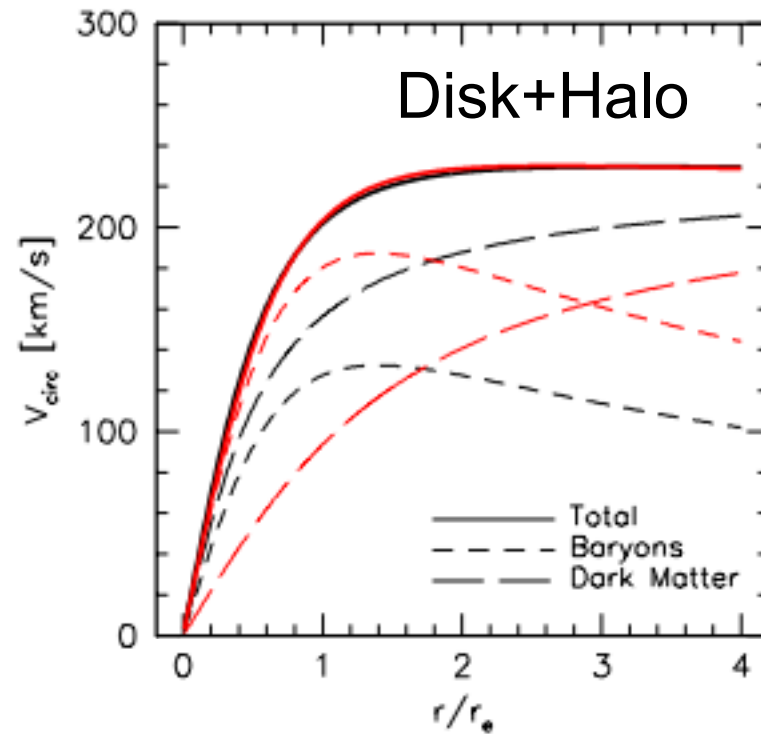
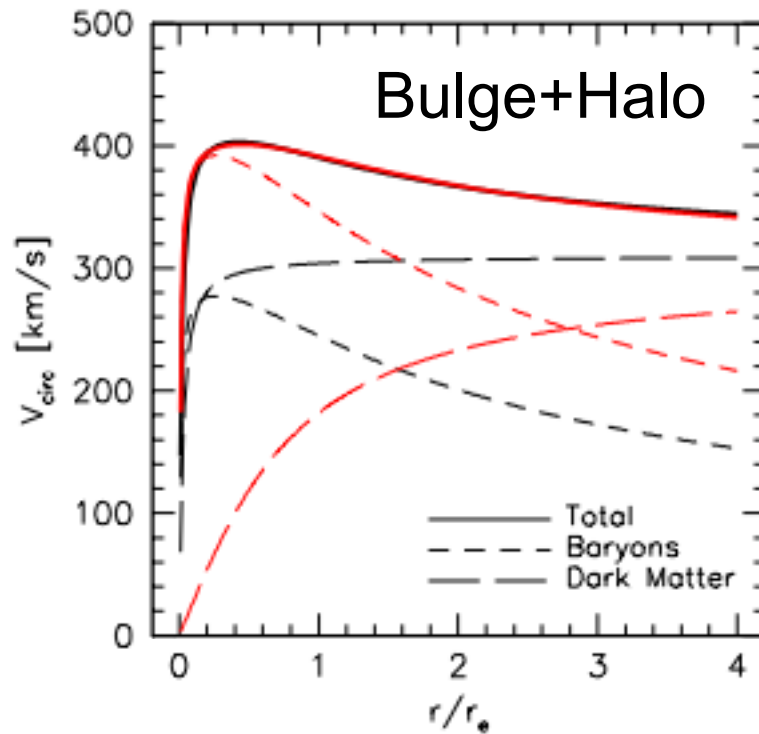
## 2) Edge-on Disk + Spherical Halo



a)  $q_{\text{lens}}=1$  ( $\Rightarrow$  dark matter dominated)

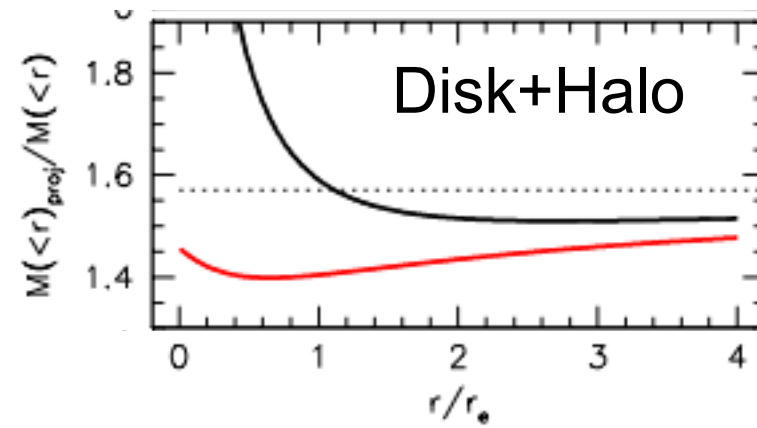
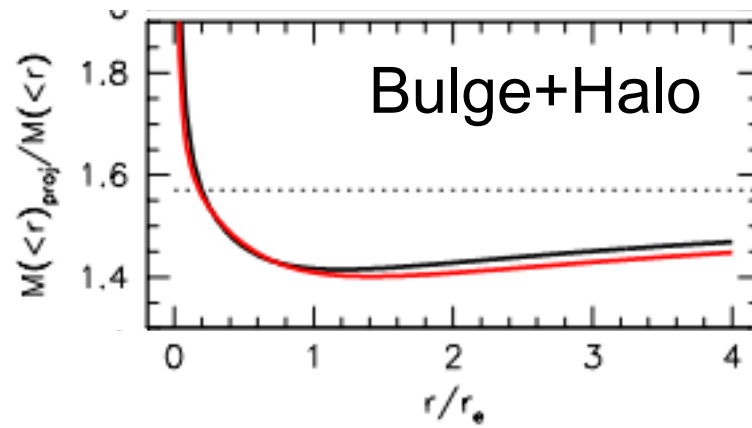
b)  $q_{\text{lens}}=0.2$  ( $\Rightarrow$  disk dominated)

# The Bulge-Halo and Disk-Halo Degeneracies



- Baryons (bulge or disk) have same structure, different stellar mass
- Structure of dark matter halo compensates
- Same total 3D mass profile

# Projected Mass / Spherical Mass vs Radius



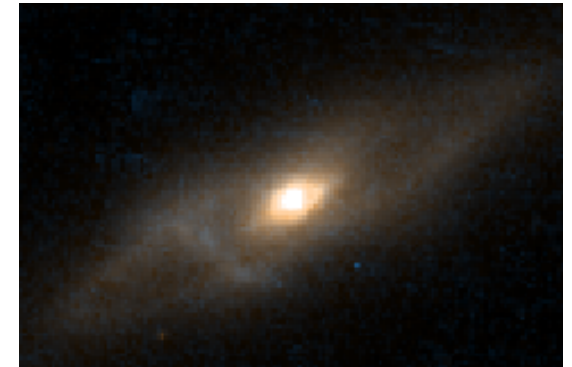
- For a spherical system (e.g. bulge-halo) the ratio between projected and spherical mass is **independent** of the relative contribution of bulge and halo.
- For a disk-halo system, the ratio between projected and spherical mass is **dependent** on the relative contribution of disk and halo.



# Summary: How can Strong Lensing Help?

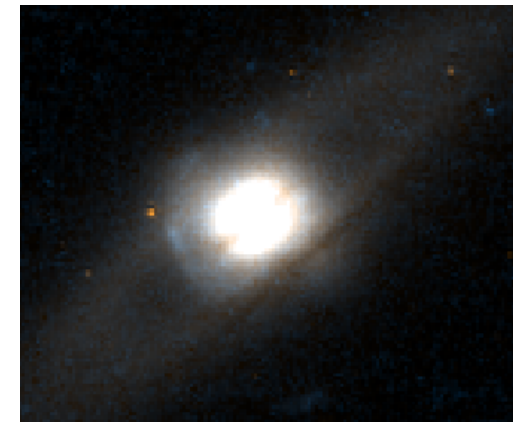
## Disk-dominated lenses

- ✓ New information from projected mass and ellipticity can help break disk-halo degeneracy



## Bulge-dominated lenses

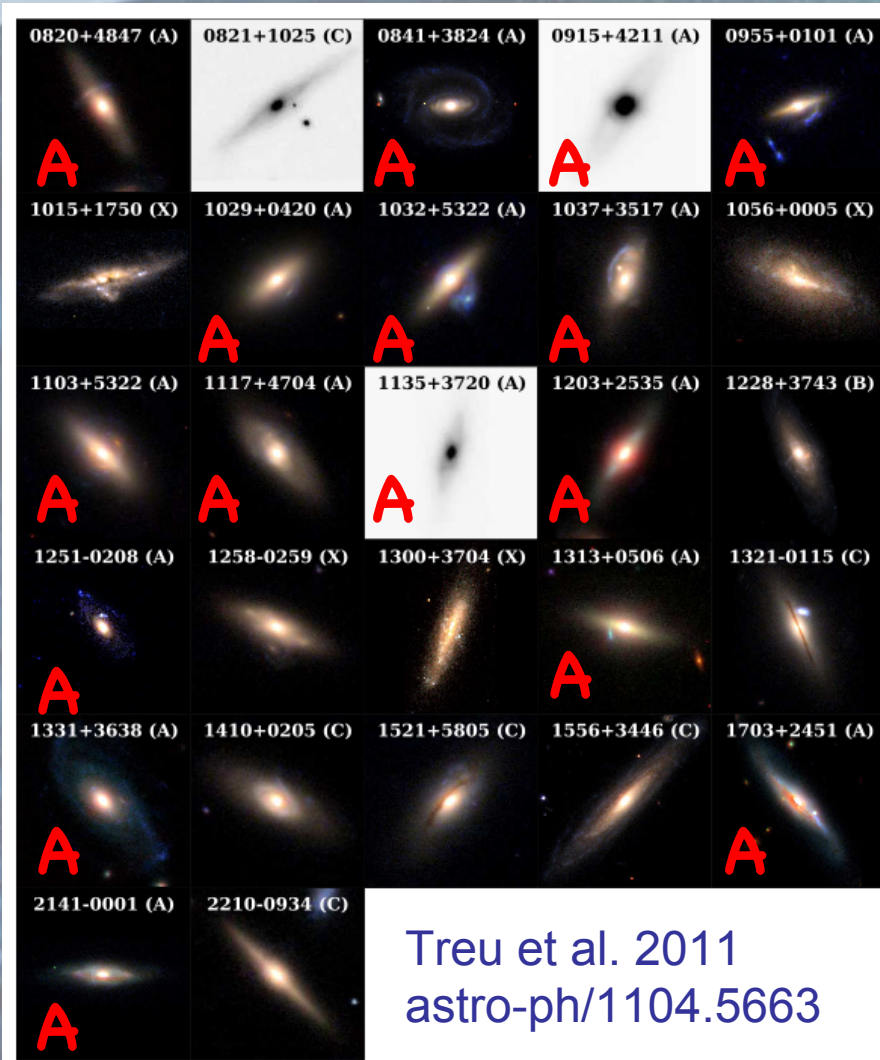
- ✗ No new information to break bulge-halo degeneracy
- ✓ Upper limit on stellar mass within critical curve, independent of dynamical state



Previous studies have used bulge dominated spirals:  
B1600 (Maller et al. 2000); Q2237 (Trott & Webster 2002)

Images:  
SWELLS-cycle 18

# Sloan Wfc Edge-on Late-type Lens Survey



Redshifts from SDSS

Multi-band optical Imaging from HST  
(Cycle 16s, 18, PI: Treu)

NIR Imaging from Keck LGS-AO  
(PIs: Koo, Treu)

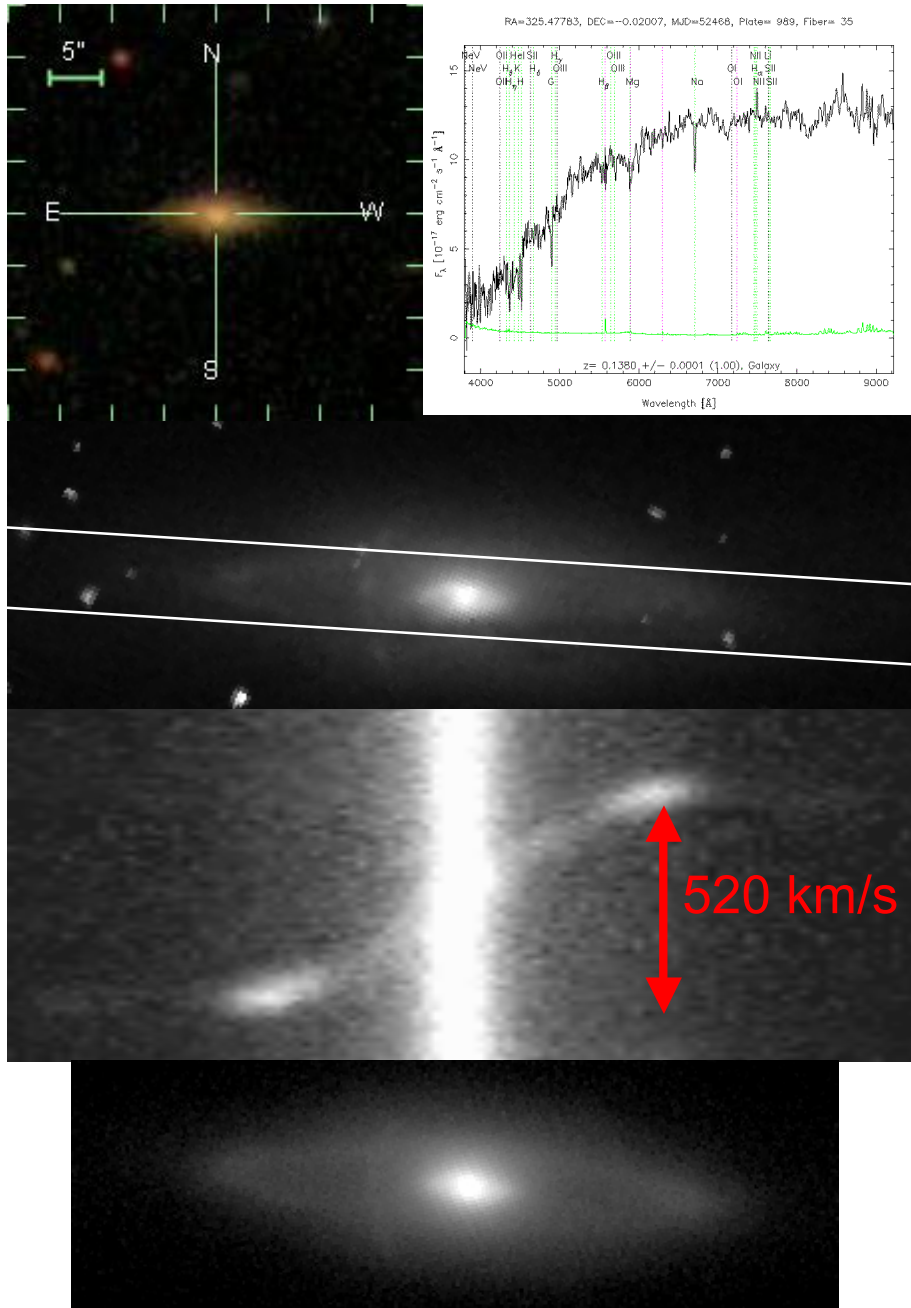
Long-slit kinematics from Keck  
(PIs: Koo, Treu)

Current A-grade lenses:

- 8 from SLACS
- 6 from cycle 16s
- 2 from K-band AO

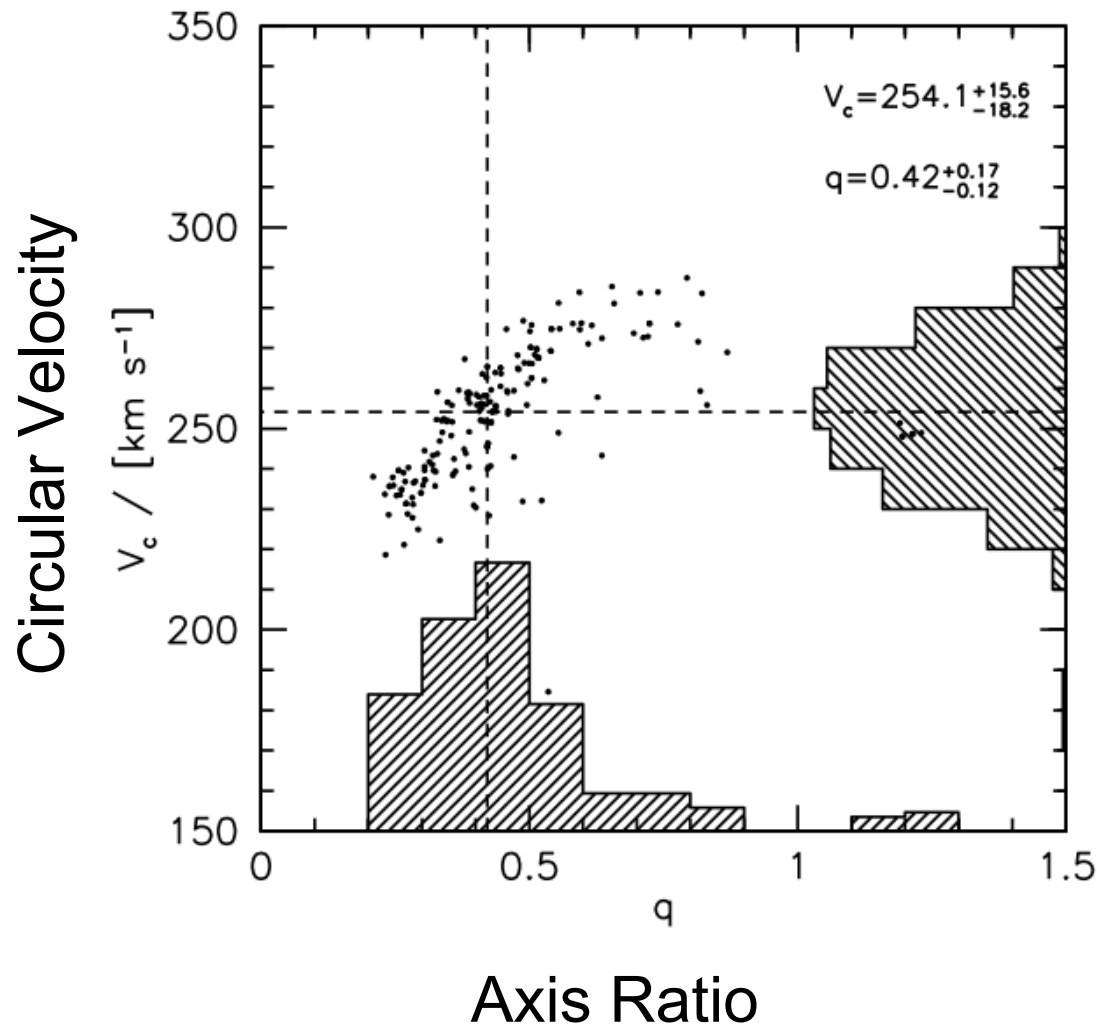
**Success Rate**  
**= 42% (8/19)**

# J2141-0001



- SDSS spectra:  $z_l=0.1380$ ,  $z_s=0.7127$
- SDSS imaging: red, disk looking
- HST discovery image I-band (SLACS)
  - Cusp lens configuration
  - Disk dominated galaxy
  - High disk inclination (78 deg)
  - Dusty
- Keck long slit spectra:
  - strong and extended emission lines
  - star forming ring at 2.5 arcsec
  - $V_{\max} = 260$  km/s
- Keck K-band LGS-AO imaging
  - Disk dominated (bulge fraction  $\sim 20\%$ )
  - Bulge is disk (pseudo bulge)
  - Disk scale length 3.7kpc

# J2141-0001: SIE Lens model



- Singular Isothermal Ellipsoid (SIE) lens model
- Axis ratio from lensing  
 $q_{\text{lens}} = 0.42 (+0.17, -0.12)$
- Axis ratio of stars  
 $q_{\text{disk}} = 0.31$   
 $q_{\text{bulge}} = 0.53$

$$q_{\text{lens}} \approx q_{\text{star}}$$

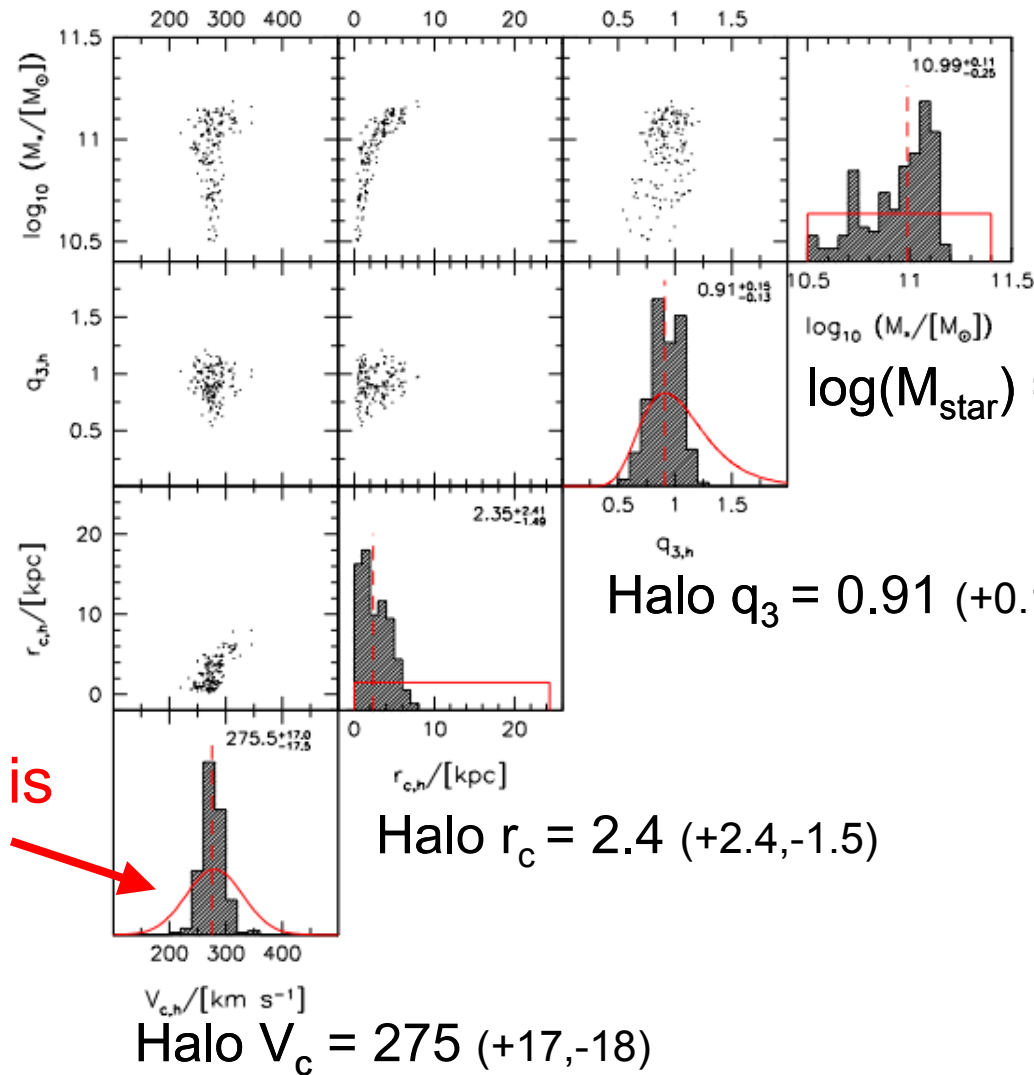


# J2141-0001: Bulge, Disk, Halo Model

log( $M_{\text{star}}$ )

Halo  $q_3$

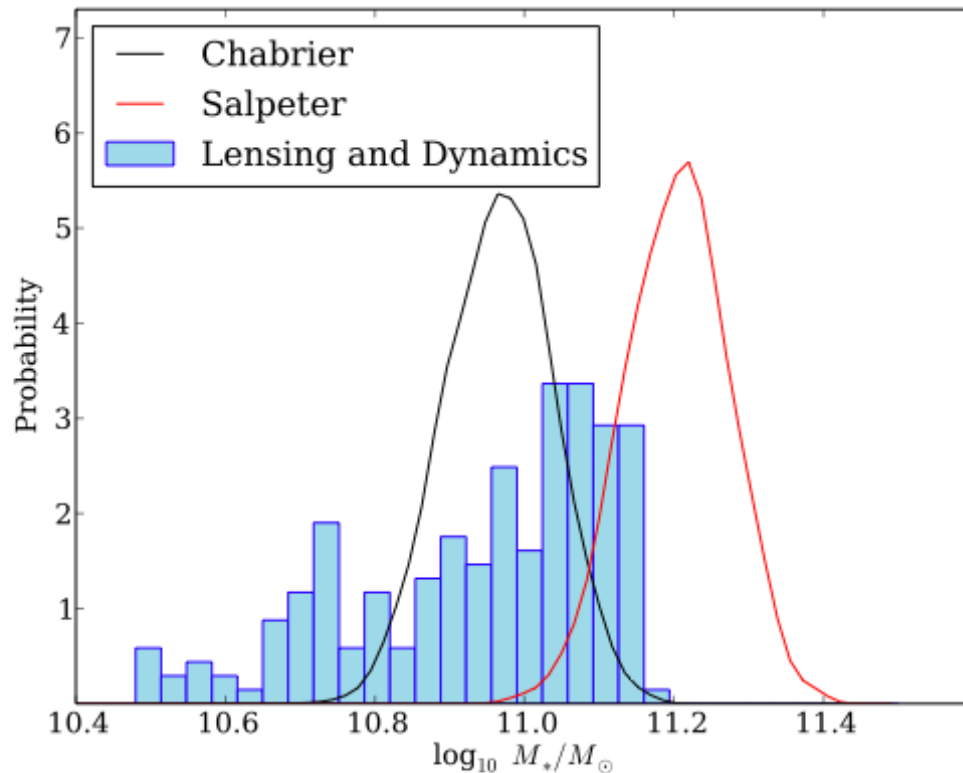
Halo  $r_c$



red curve is the prior



# Comparison with SPS Models



Stellar mass from stellar population synthesis models using BVIK magnitudes (Auger et al. 2009)

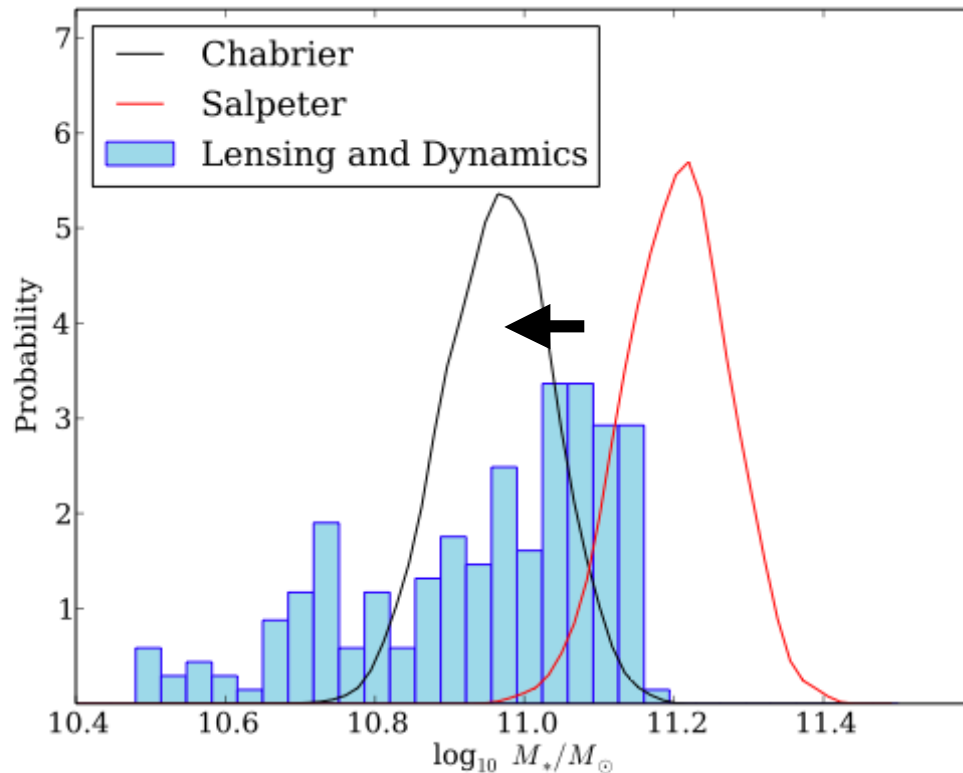
Chabrier (2003) IMF  
 $\log_{10} (M_{\text{star}} / M_{\text{sun}}) = 10.97 \pm 0.07$

Salpeter (1955) IMF  
 $\log_{10} (M_{\text{star}} / M_{\text{sun}}) = 11.23 \pm 0.07$

Lensing+Kinematics  
 $\log_{10} (M_{\text{star}} / M_{\text{sun}}) = 10.99 +0.11 -0.25$

**Marginally favors Chabrier over Salpeter IMF**

# Comparison with SPS Models



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Salpeter (1955) IMF  
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Lensing+Kinematics  
 $\log_{10} (M_{\text{star}} / M_{\text{sun}}) = 10.99 +0.11 -0.25$

**Strongly favors Chabrier over Salpeter IMF**

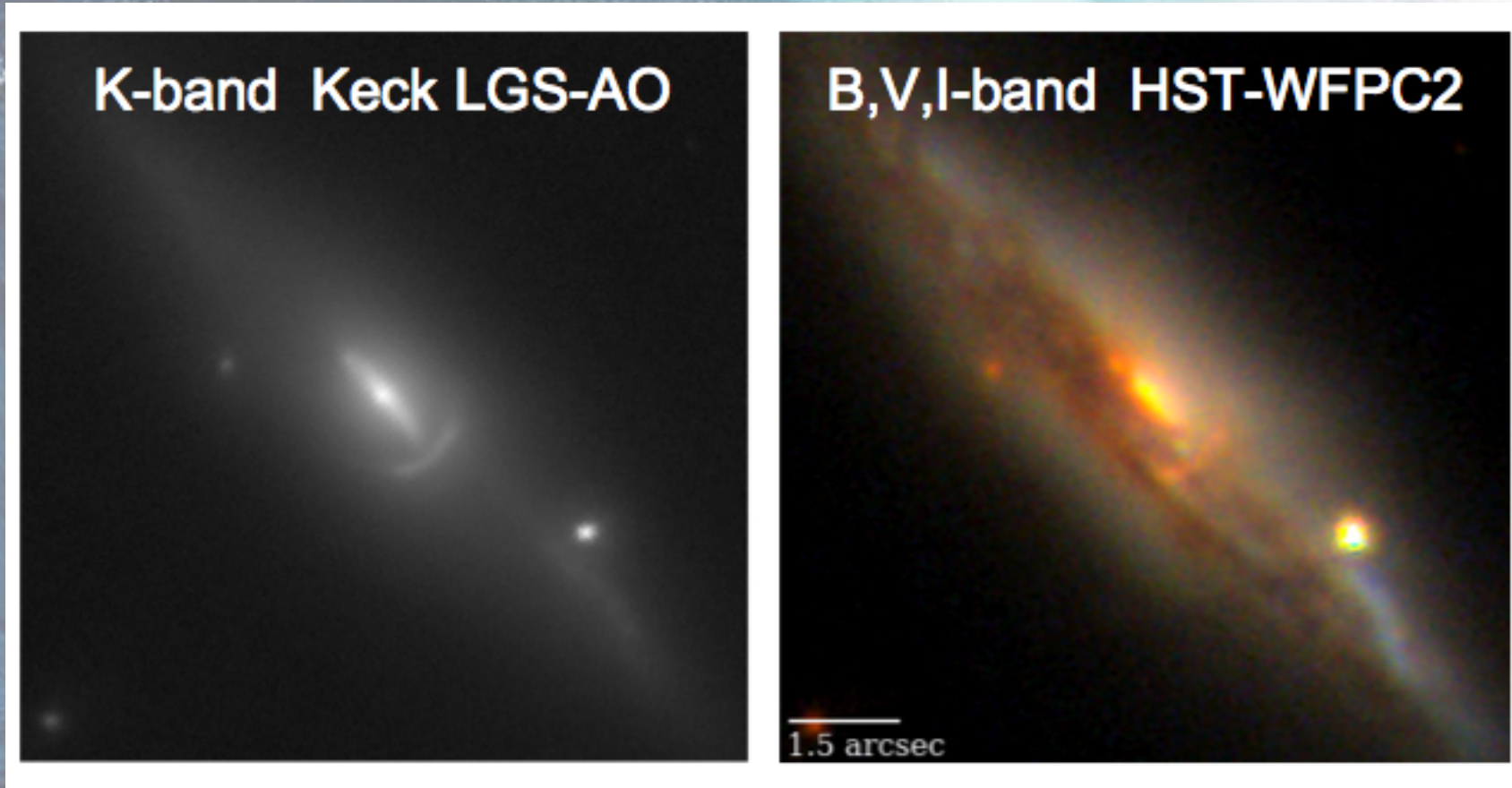
Accounting for cold gas (in a statistical sense) lowers stellar mass by up to  $0.10 \pm 0.05$  dex

# Dark Halo Contraction and the Stellar IMF

- ***Constraints from Scaling Relations*** ([Dutton et al. 2011b, 1012.5859](#))
  - Dark Halo Contraction and the Stellar IMF cannot both be universal.
  - **For a Universal Chabrier IMF:**  
Early-types are consistent with standard adiabatic contraction;  
Late-types are inconsistent with standard adiabatic contraction.
  - **For a Universal halo response model:**  
Early-types require heavier IMFs than late-types.
- ***Constraints from Strong Lensing*** ([Dutton et al. 2011c, 1101.1622](#))
  - Strong lensing provides unique information: projected mass and ellipticity
  - Analysis of the spiral galaxy lens SDSS J2141-0001 strongly favors a Chabrier IMF over a Salpeter IMF.



# K-band imaging sees through the dust



SWELLS J1703+2451